

Lecture 12 – Code Generation

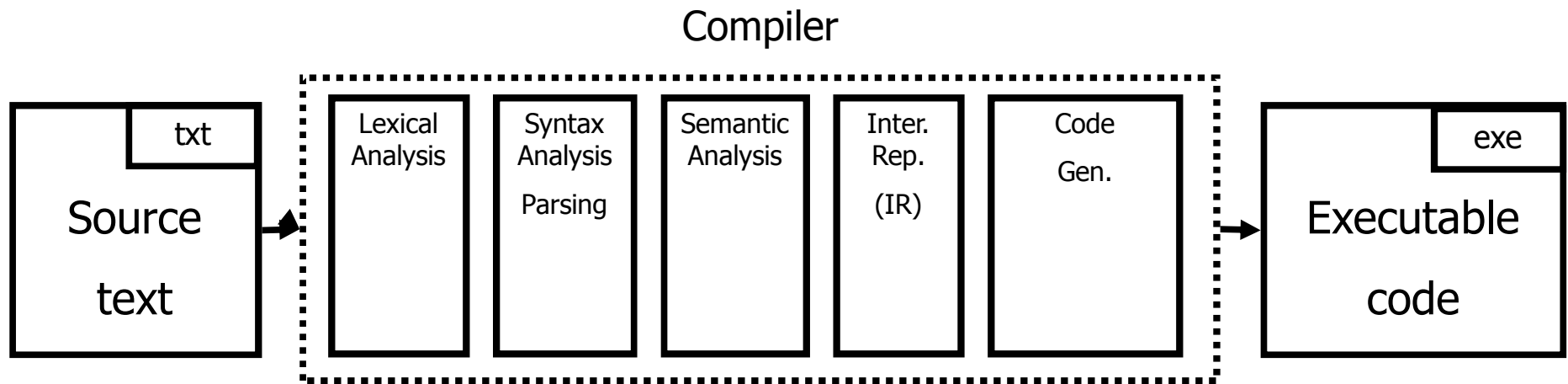
THEORY OF COMPILATION

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www.cs.technion.ac.il/~yahave/tocs2011/compilers-lec12.pptx

Reference: Dragon 8. MCD 4.2.4

You are here



simple code generation

- registers
 - used as operands of instructions
 - can be used to store temporary results
 - can (should) be used as loop indexes due to frequent arithmetic operation
 - used to manage administrative info (e.g., runtime stack)
- number of registers is limited
- need to allocate them in a clever way

simple code generation

- assume machine instructions of the form
- LD reg, mem
- ST mem, reg
- OP reg,reg,reg

- further assume that we have all registers available for our use
 - ignore registers allocated for stack management

simple code generation

- translate each 3AC instruction separately
- A register descriptor keeps track of the variable names whose current value is in that register.
 - we use only those registers that are available for local use within a basic block, we assume that initially, all register descriptors are empty.
 - As code generation progresses, each register will hold the value of zero or more names.
- For each program variable, an address descriptor keeps track of the location or locations where the current value of that variable can be found.
 - The location may be a register, a memory address, a stack location, or some set of more than one of these
 - Information can be stored in the symbol-table entry for that variable

simple code generation

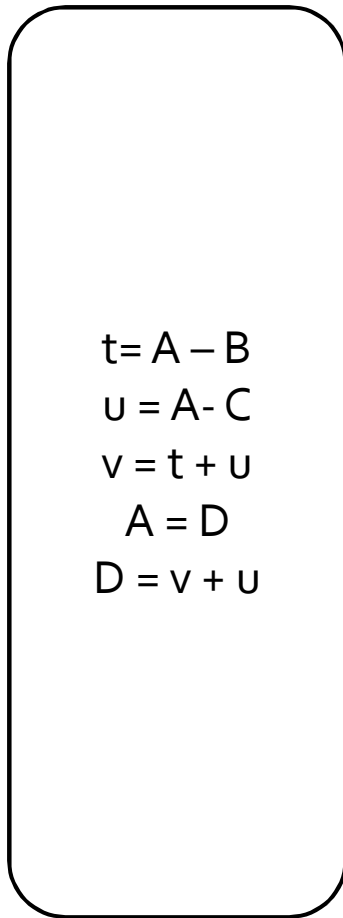
For each three-address statement $x := y \text{ op } z$,

1. Invoke *getreg* ($x := y \text{ op } z$) to select registers R_x , R_y , and R_z .
2. If R_y does not contain y , issue: "LD R_y, y' ", for a location y' of y .
3. If R_z does not contain z , issue: "LD R_z, z' ", for a location z' of z .
4. Issue the instruction "OP R_x, R_y, R_z "
5. Update the address descriptors of x, y, z , if necessary.
 - R_x is the only location of x now, and R_x contains only x (remove R_x from other address descriptors).

updating descriptors

- 1. For the instruction LD R, x
 - a) Change the register descriptor for register R so it holds only x.
 - b) Change the address descriptor for x by adding register R as an additional location.
- 2. For the instruction ST x, R
 - change the address descriptor for x to include its own memory location.
- 3. For an operation such as ADD Rx, Ry, Rz, implementing a 3AC instruction $x = y + z$
 - a) Change the register descriptor for Rx so that it holds only x.
 - b) Change the address descriptor for x so that its only location is Rx. Note that the memory location for x is *not* now in the address descriptor for x.
 - c) Remove Rx from the address descriptor of any variable other than x.
- 4. When we process a copy statement $x = y$, after generating the load for y into register Ry, if needed, and after managing descriptors as for all load statements (rule 1):
 - a) Add x to the register descriptor for Ry.
 - b) Change the address descriptor for x so that its only location is Ry .

example



```

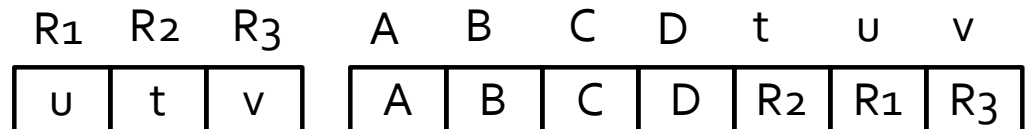
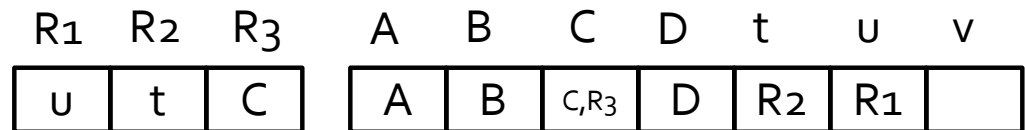
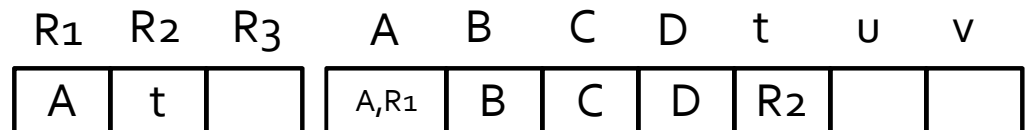
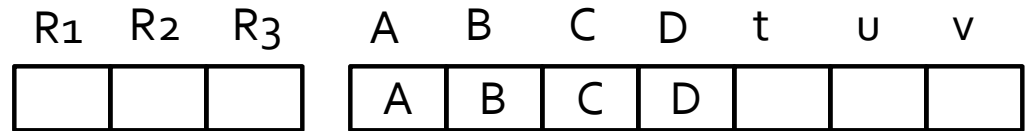
t = A - B
LD R1,A
LD R2,B
SUB R2,R1,R2
    
```

```

u = A - C
LD R3,C
SUB R1,R1,R3
    
```

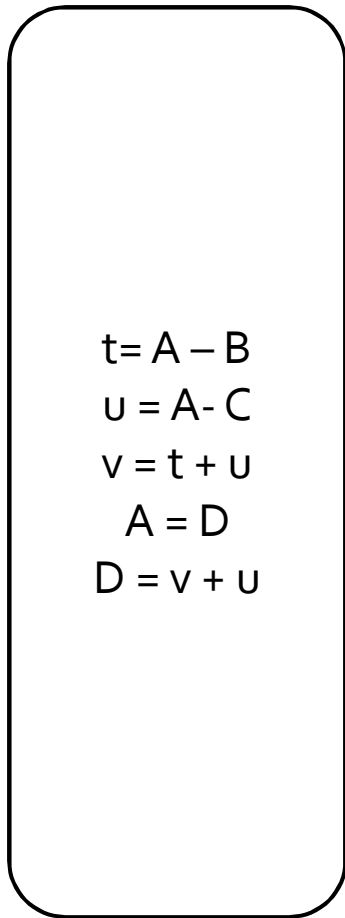
```

v = t + u
ADD R3,R2,R1
    
```



A B C D = live outside the block
t,u,v = temporaries in local storate

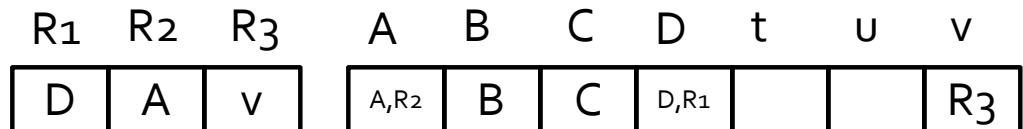
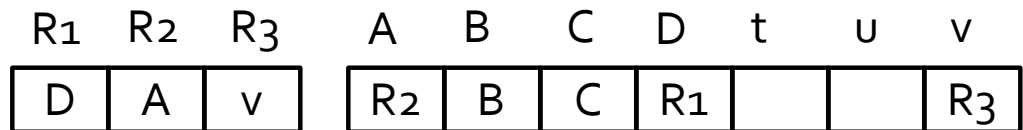
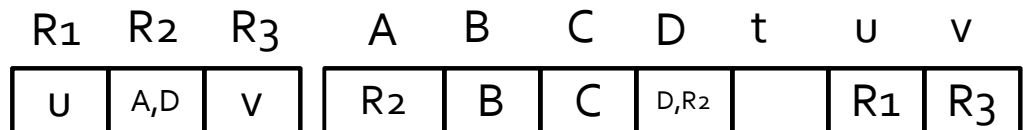
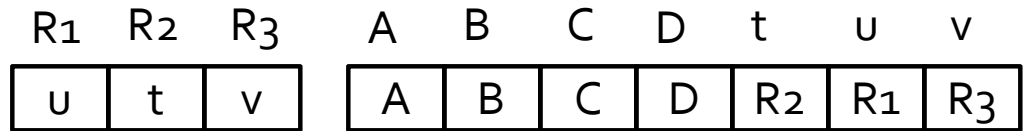
example



A = D
LDR R2, D

D = v + u
ADD R1, R3, R1

exit
STA, R2
STD, R1



A B C D = live outside the block
t,u,v = temporaries in local storate

design of getReg

- many design choices
- simple rules:
 - If y is currently in a register, pick a register already containing y as R_y . No need to load this register.
 - If y is not in a register, but there is a register that is currently empty, pick one such register as R_y .
- complicated case:
 - y is not in a register, but there is no free register.

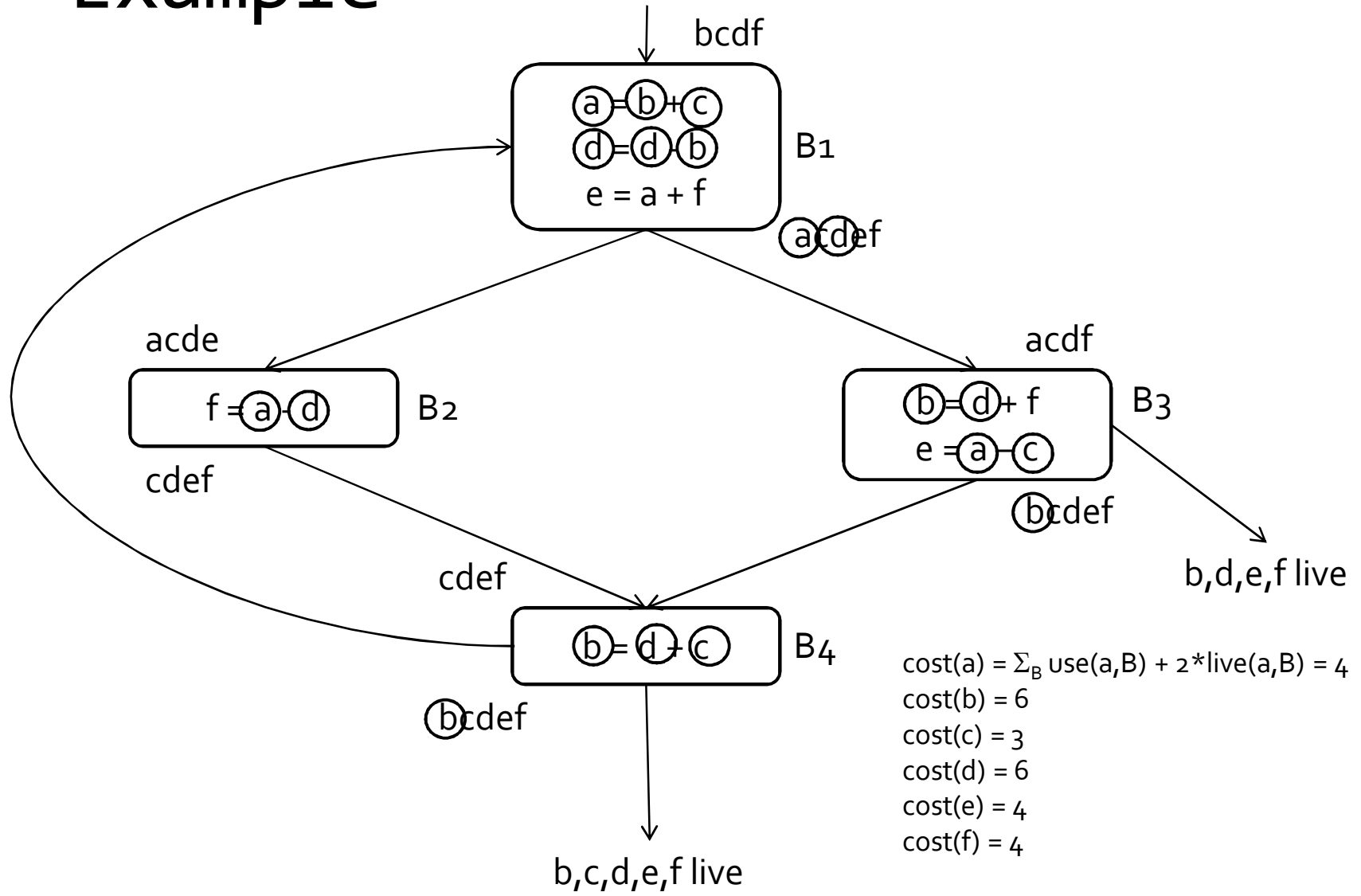
design of getReg

- instruction: $x = y + z$
- y is not in a register, no free register
- let R be a taken register holding value of a variable v
- possibilities:
 - if the value v is available somewhere other than R , we can allocate R to be R_y
 - if v is x , the value computed by the instruction, we can use it as R_y (it is going to be overwritten anyway)
 - if v is not used later, we can use R as R_y
 - otherwise: spill the value to memory by $ST\ v, R$

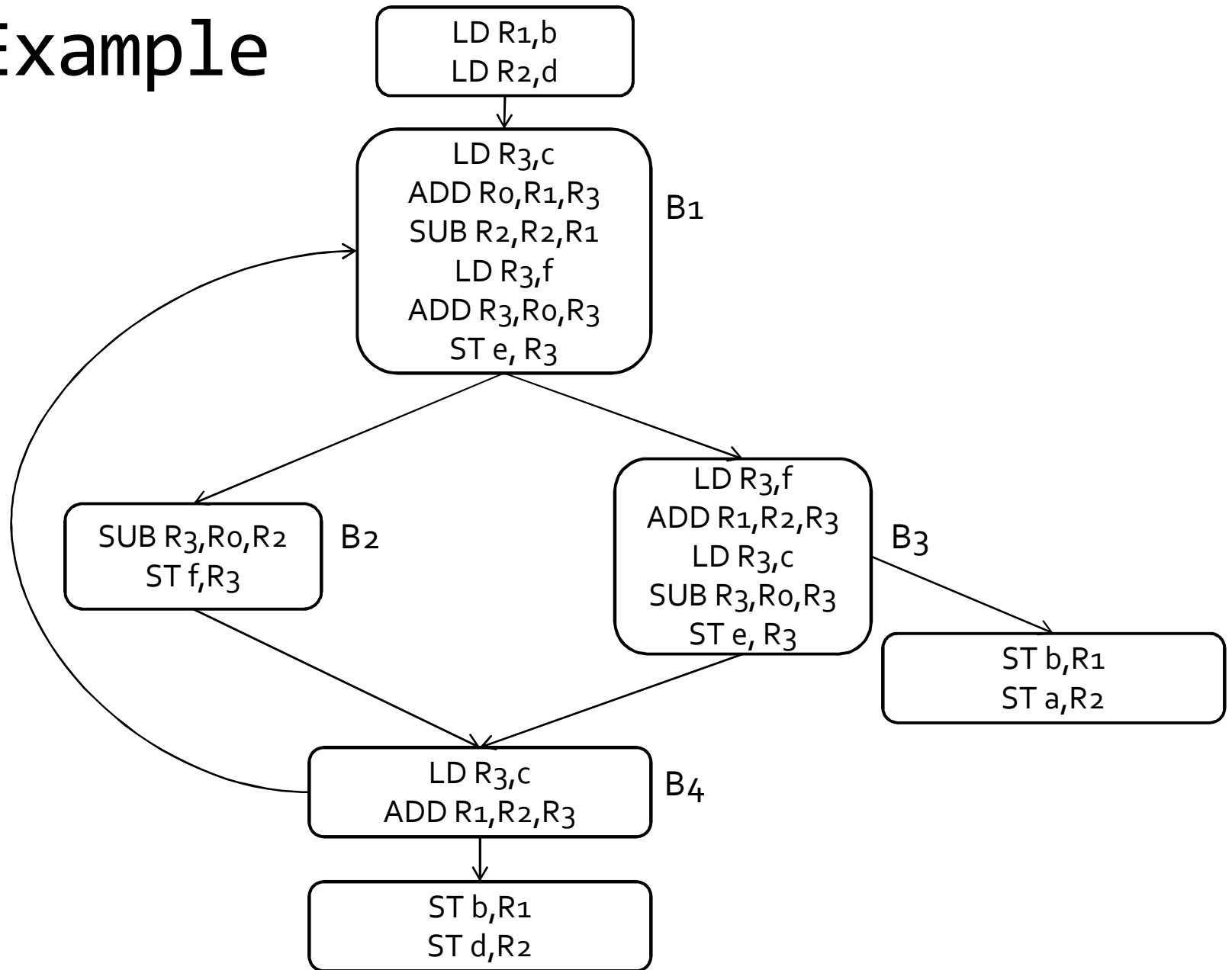
global register allocation

- so far we assumed that register values are written back to memory at the end of every basic block
- want to save load/stores by keeping frequently accessed values in registers
 - e.g., loop counters
- idea: compute “weight” for each variable
 - for each use of v in B prior to any definition of v add 1 point
 - for each occurrence of v in a following block using v add 2 points, as we save the store/load between blocks
 - $\text{cost}(v) = \sum_B \text{use}(v, B) + 2 * \text{live}(v, B)$
 - $\text{use}(v, B)$ is the number of times v is used in B prior to any definition of v
 - $\text{live}(v, B)$ is 1 if v is live on exit from B and is assigned a value in B
 - after computing weights, allocate registers to the “heaviest” values

Example



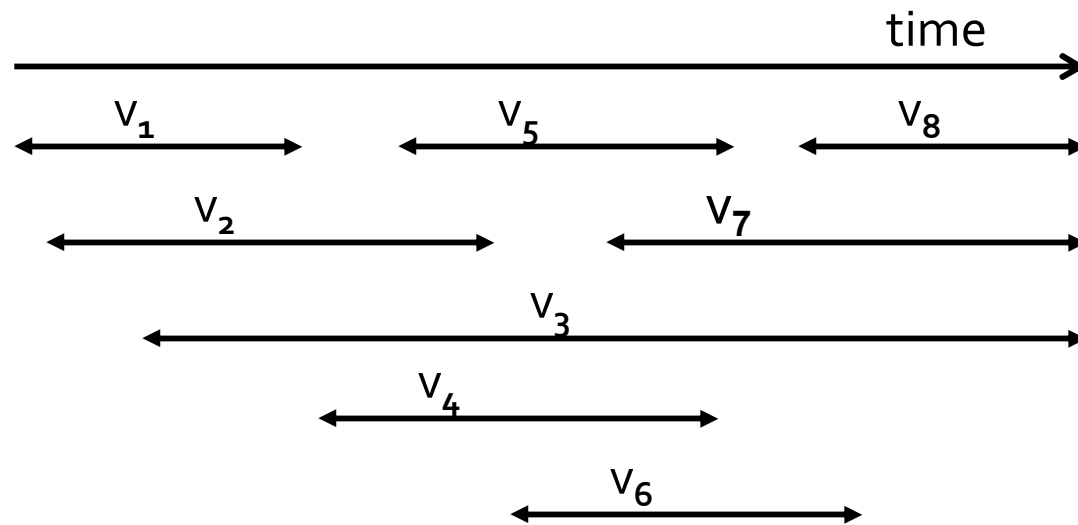
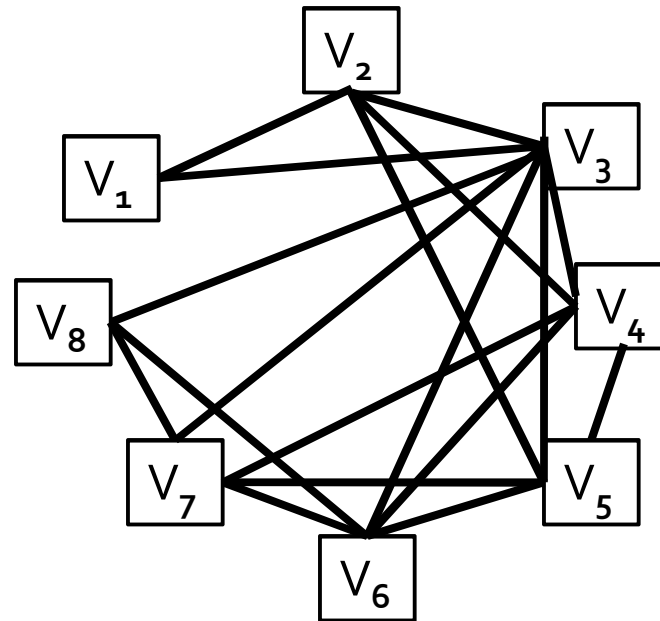
Example



Register Allocation by Graph Coloring

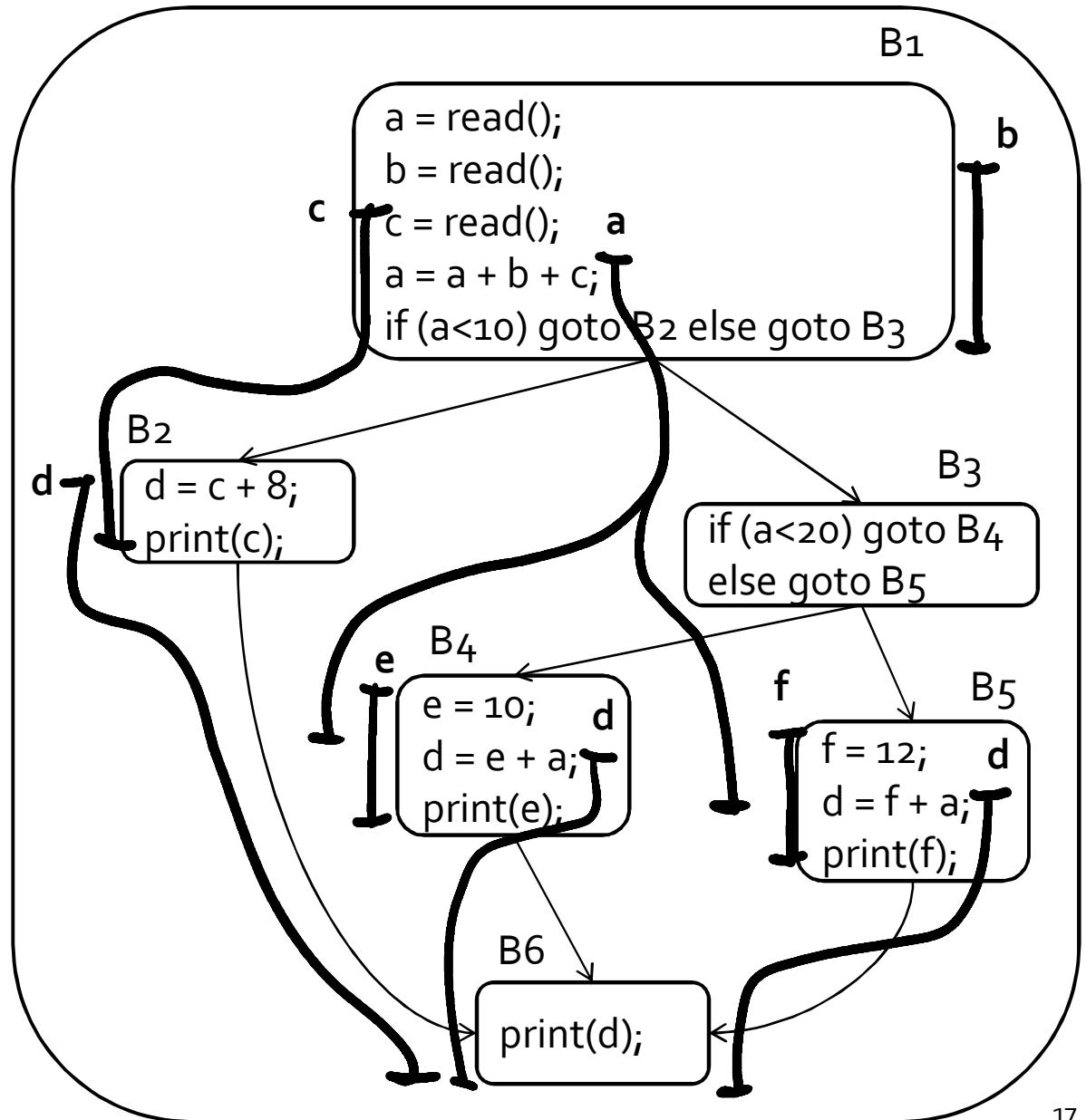
- Address register allocation by
 - liveness analysis
 - reduction to graph coloring
 - optimizations by program transformation
- Main idea
 - register allocation = coloring of an interference graph
 - every node is a variable
 - edge between variables that “interfere” = are both live at the same time
 - number of colors = number of registers

Example

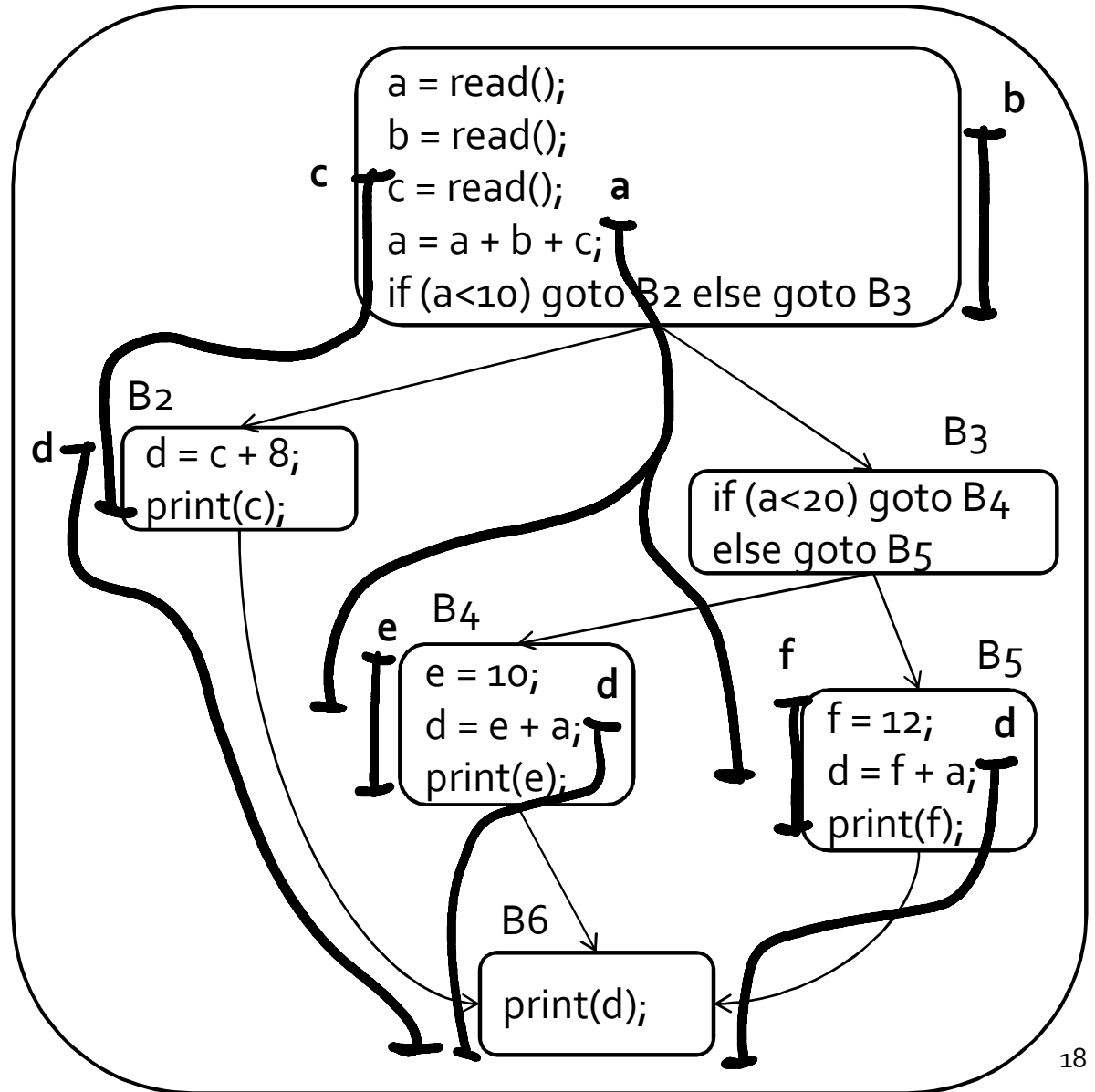
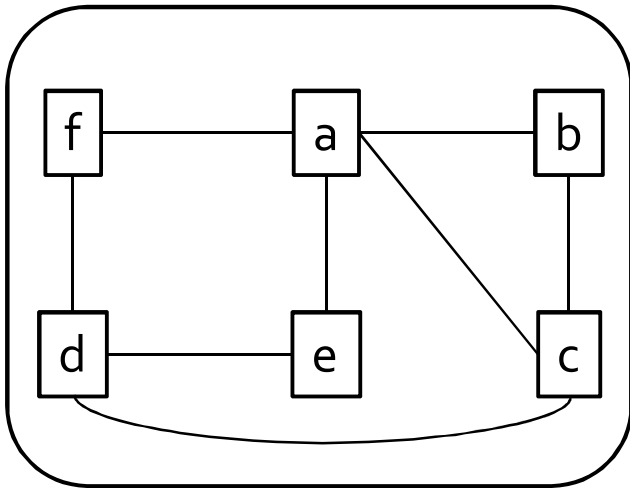


Example

```
a = read();
b = read();
c = read();
a = a + b + c;
if (a < 10) {
    d = c + 8;
    print(c);
} else if (a < 20) {
    e = 10;
    d = e + a;
    print(e);
} else {
    f = 12;
    d = f + a;
    print(f);
}
print(d);
```



Example: Interference Graph



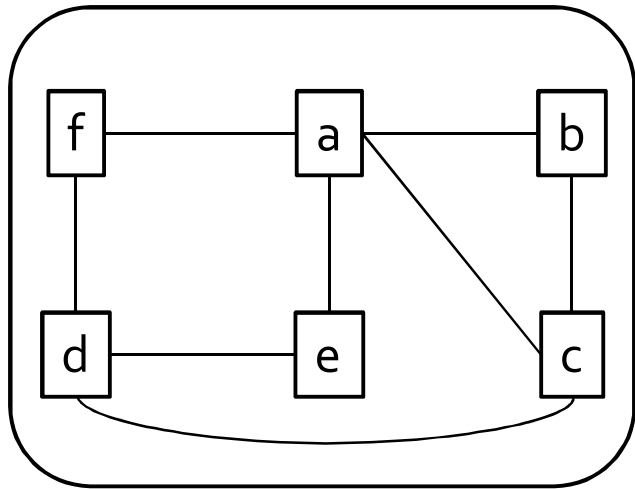
Register Allocation by Graph Coloring

- variables that interfere with each other cannot be allocated the same register
- graph coloring
 - classic problem: how to color the nodes of a graph with the lowest possible number of colors
 - bad news: problem is NP-complete
 - good news: there are pretty good heuristic approaches

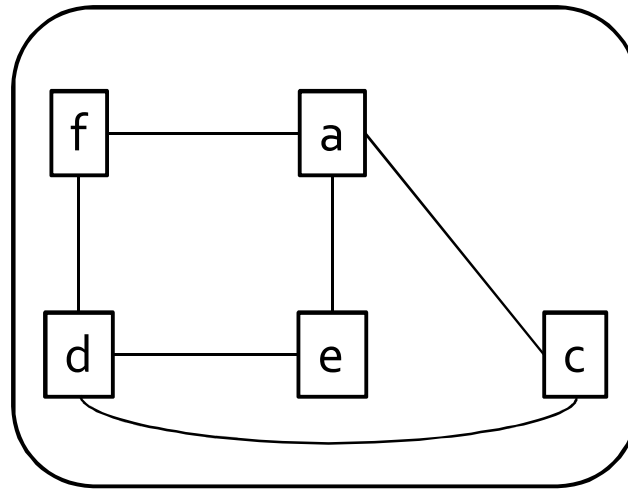
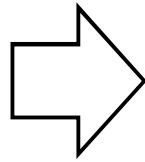
Heuristic Graph Coloring

- idea: color nodes one by one, coloring the “easiest” node last
- “easiest nodes” are ones that have lowest degree
 - fewer conflicts
- algorithm at high-level
 - find the least connected node
 - remove least connected node from the graph
 - color the reduced graph recursively
 - re-attach the least connected node

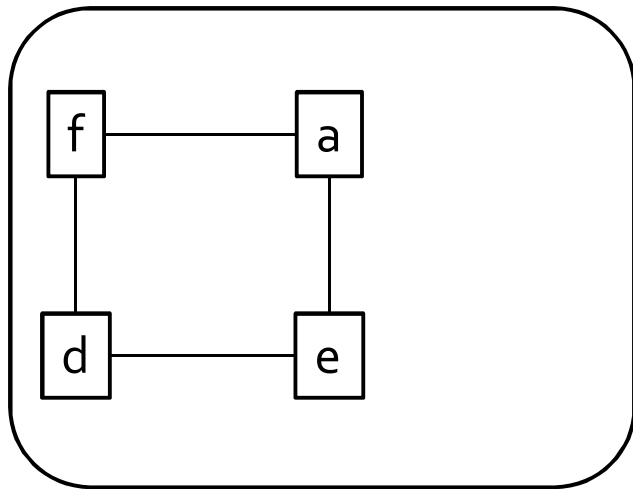
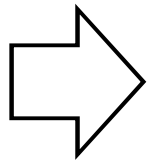
Heuristic Graph Coloring



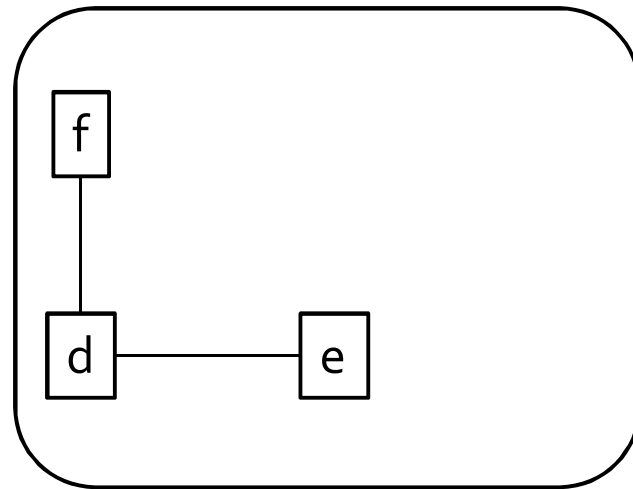
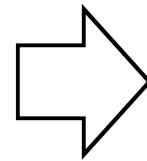
stack: ϵ



stack: b

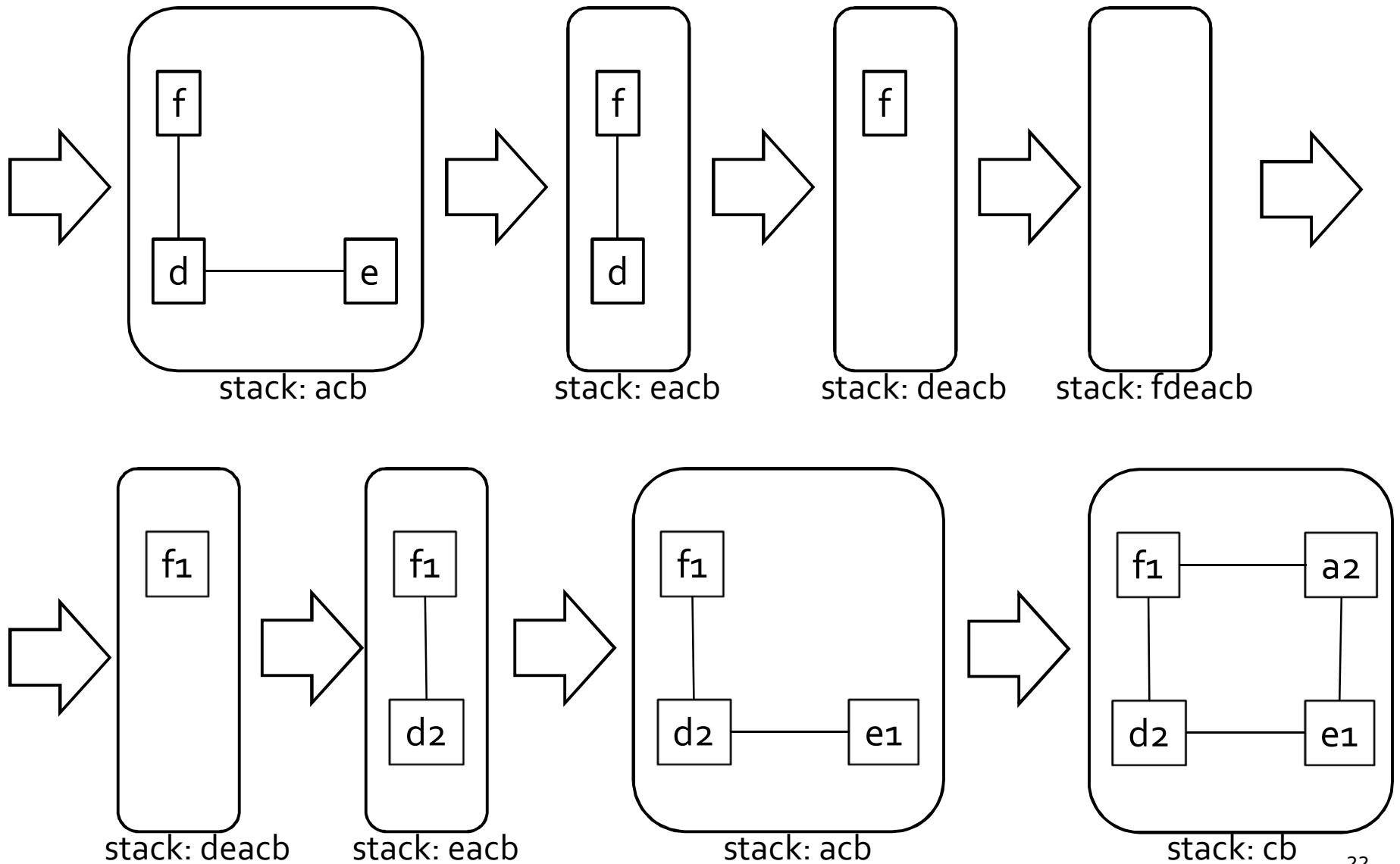


stack: cb

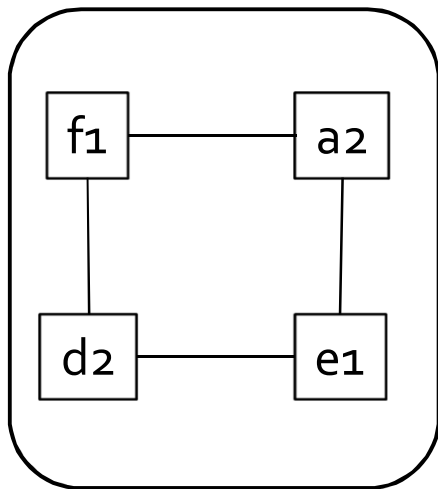


stack: acb

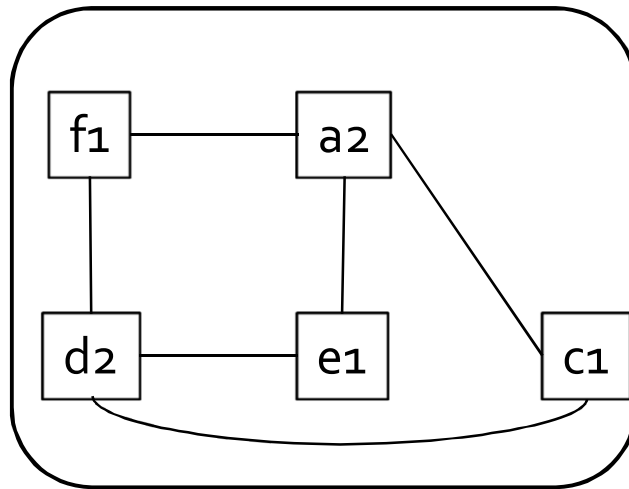
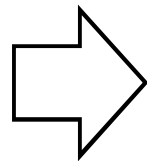
Heuristic Graph Coloring



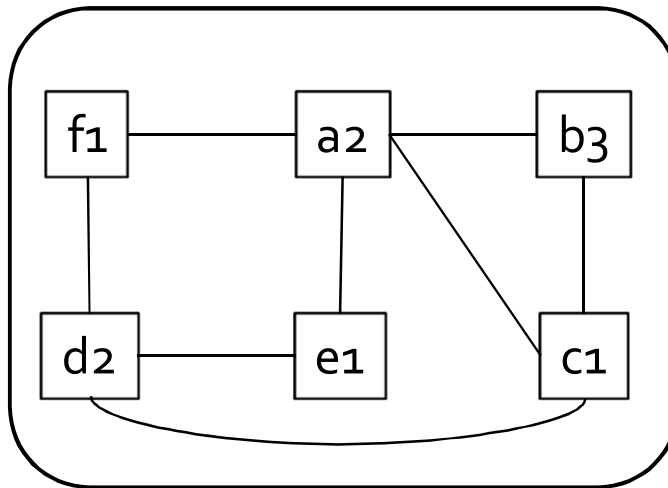
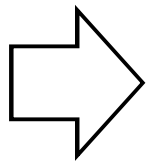
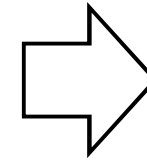
Heuristic Graph Coloring



stack: cb



stack: b



stack: ϵ

Result:

3 registers for 6 variables

Can we do with 2 registers?

Heuristic Graph Coloring

- two sources of non-determinism in the algorithm
 - choosing which of the (possibly many) nodes of lowest degree should be detached
 - choosing a free color from the available colors

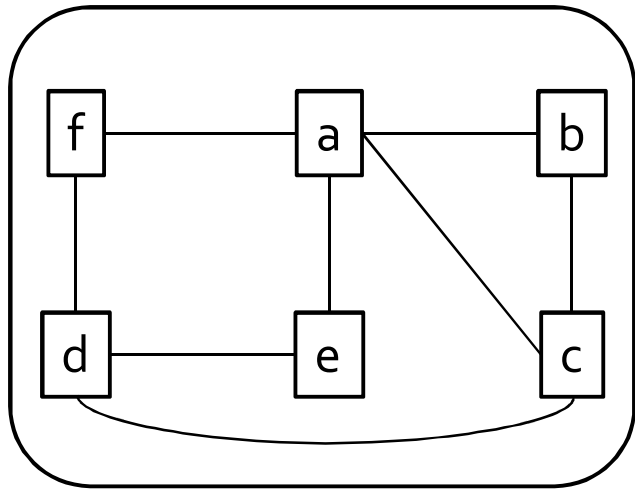
Supercompilation

- exhaustive search in the space of (small) programs for finding optimal code sequences
 - often counter intuitive results, not what a human would write
 - can be very efficient
- generate/test paradigm

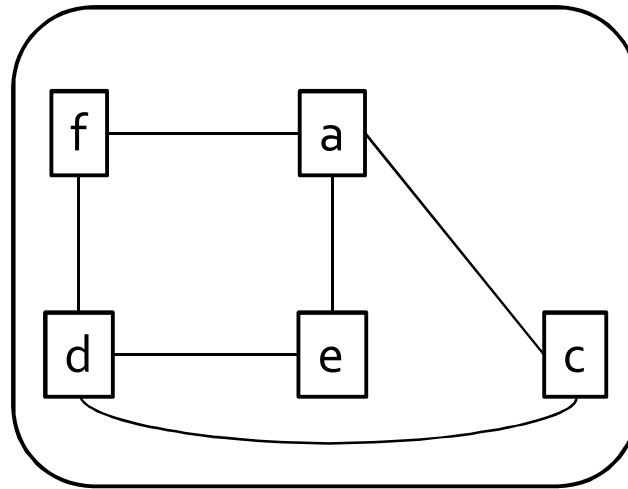
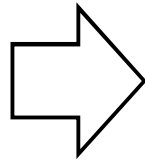
```
; n in register %ax  
cwd          ; convert to double word:  
             ; (%dx,%ax) = (extend_sign(%ax), %ax)  
negw %ax     ; negate: (%ax,cf) = (-%ax,%ax != 0)  
adcw %dx,%dx ; add with carry: %dx = %dx + %dx + cf  
; sign(n) in %dx
```

The End

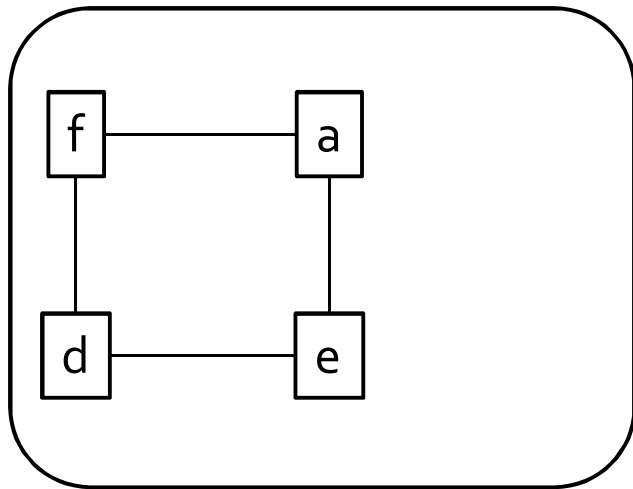
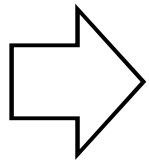
Heuristic Graph Coloring



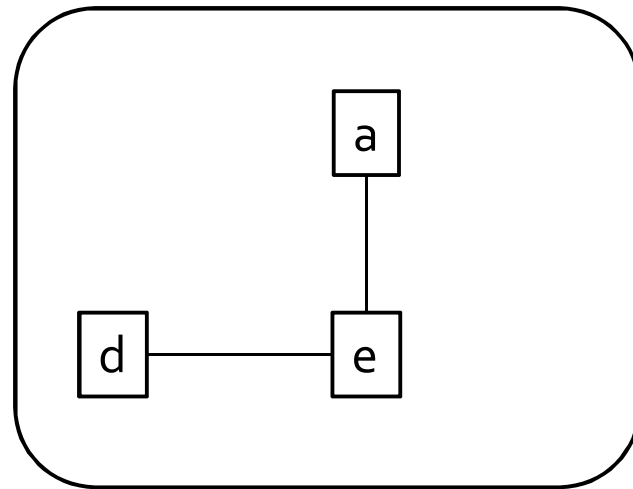
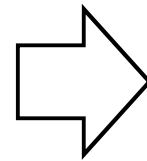
stack: ϵ



stack: b

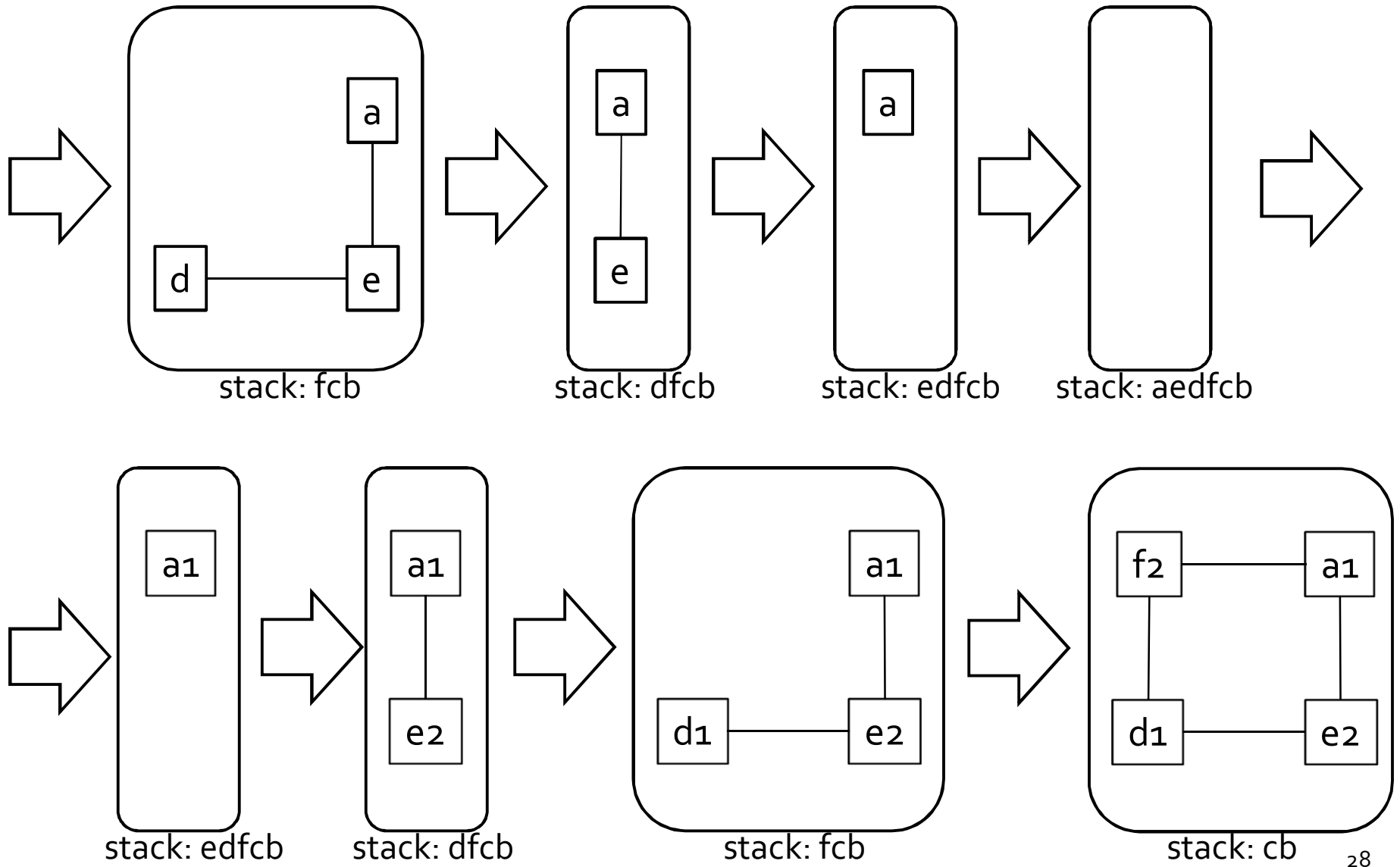


stack: cb

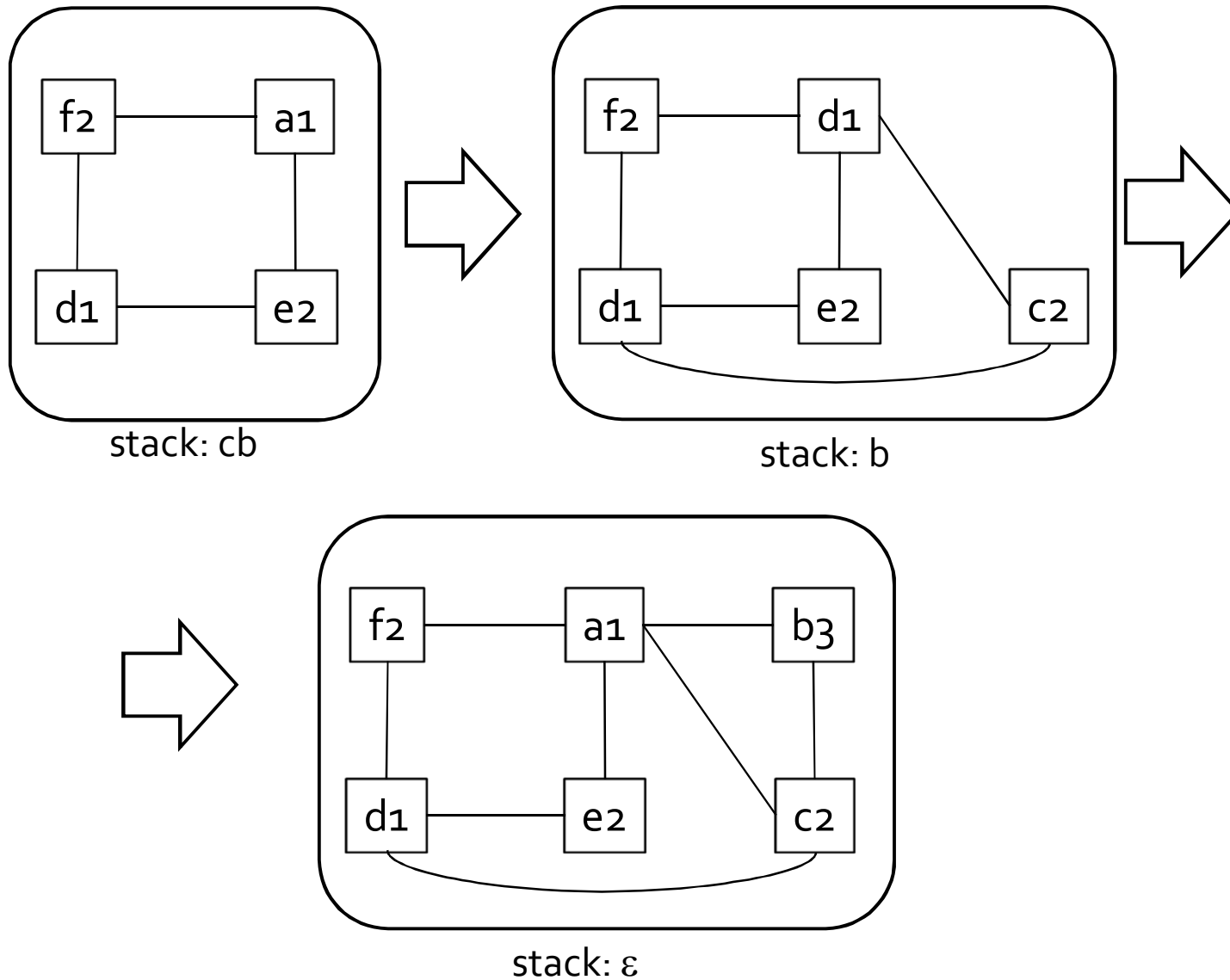


stack: fcb

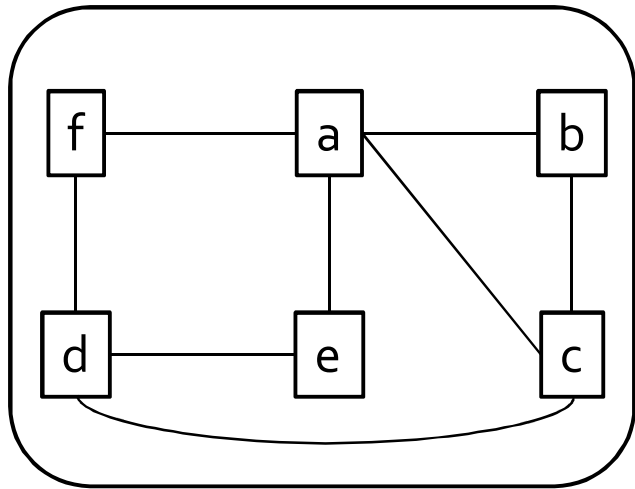
Heuristic Graph Coloring



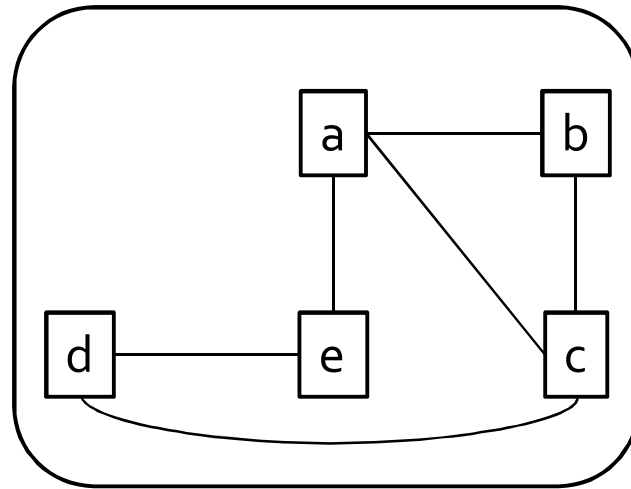
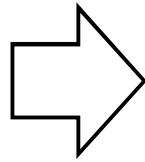
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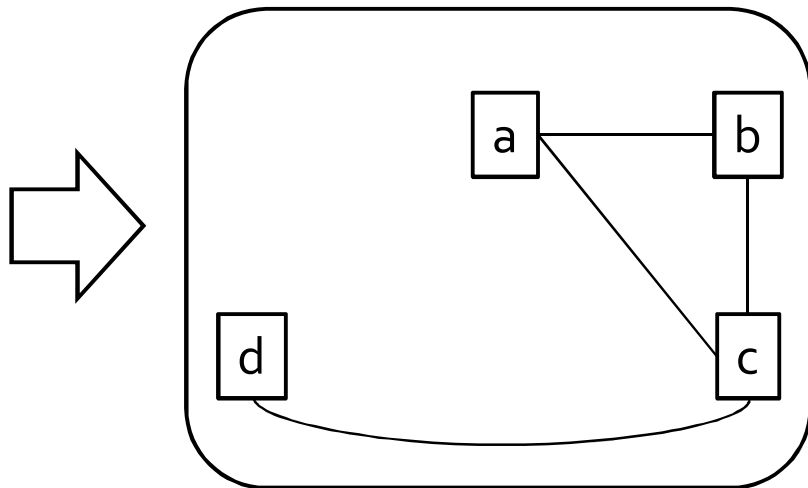
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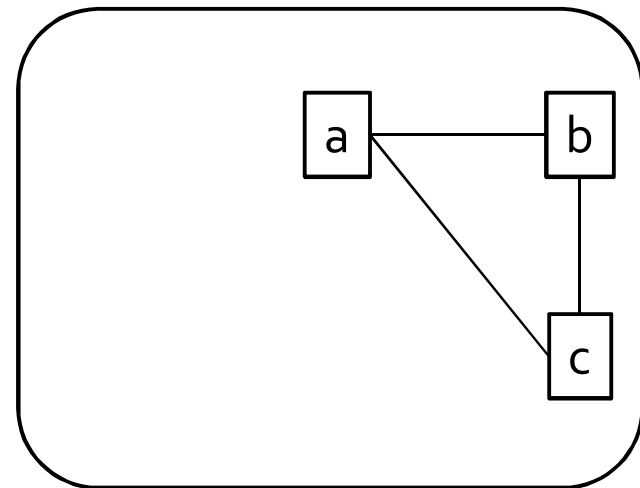
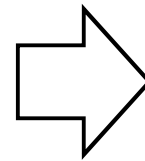
stack: ϵ



stack: f

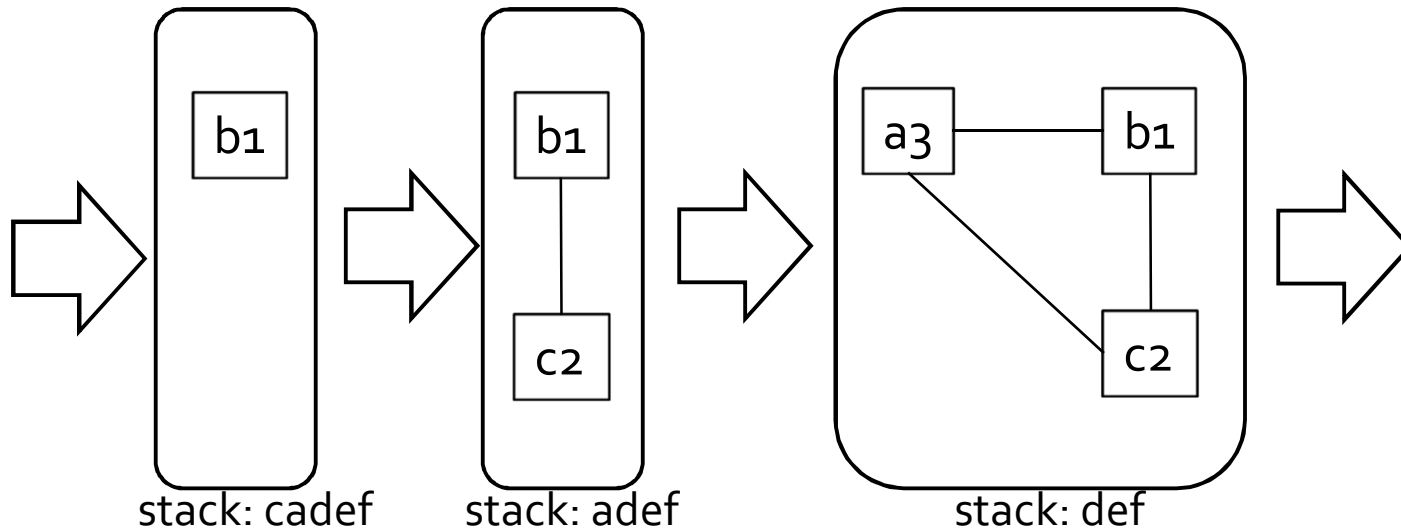
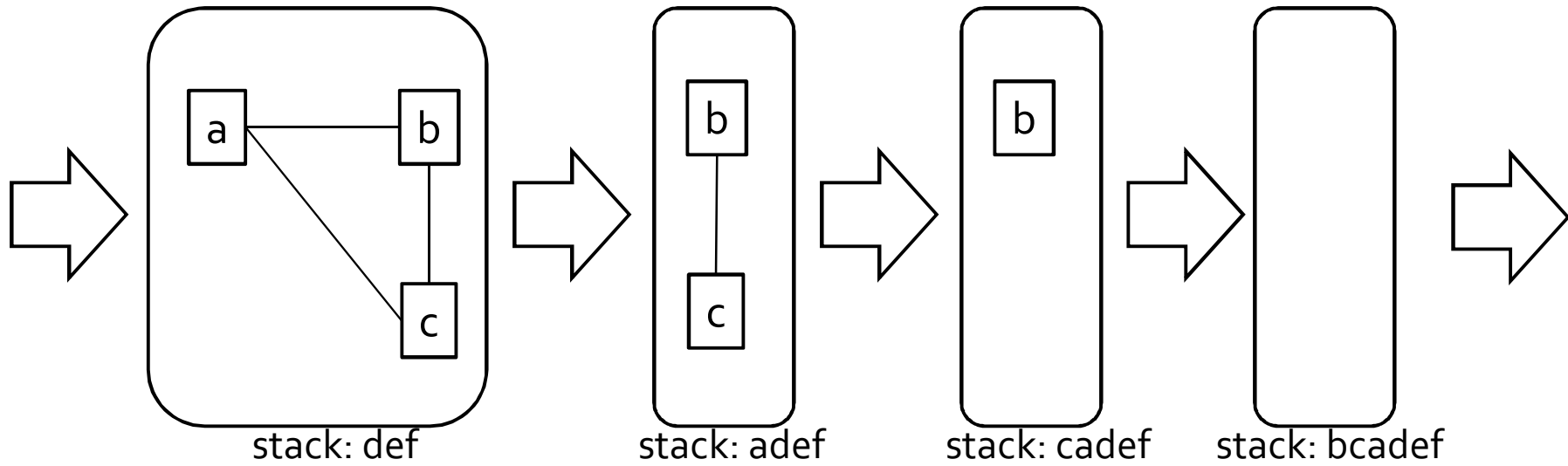


stack: ef



stack: def

Heuristic Graph Coloring



Heuristic Graph Coloring

